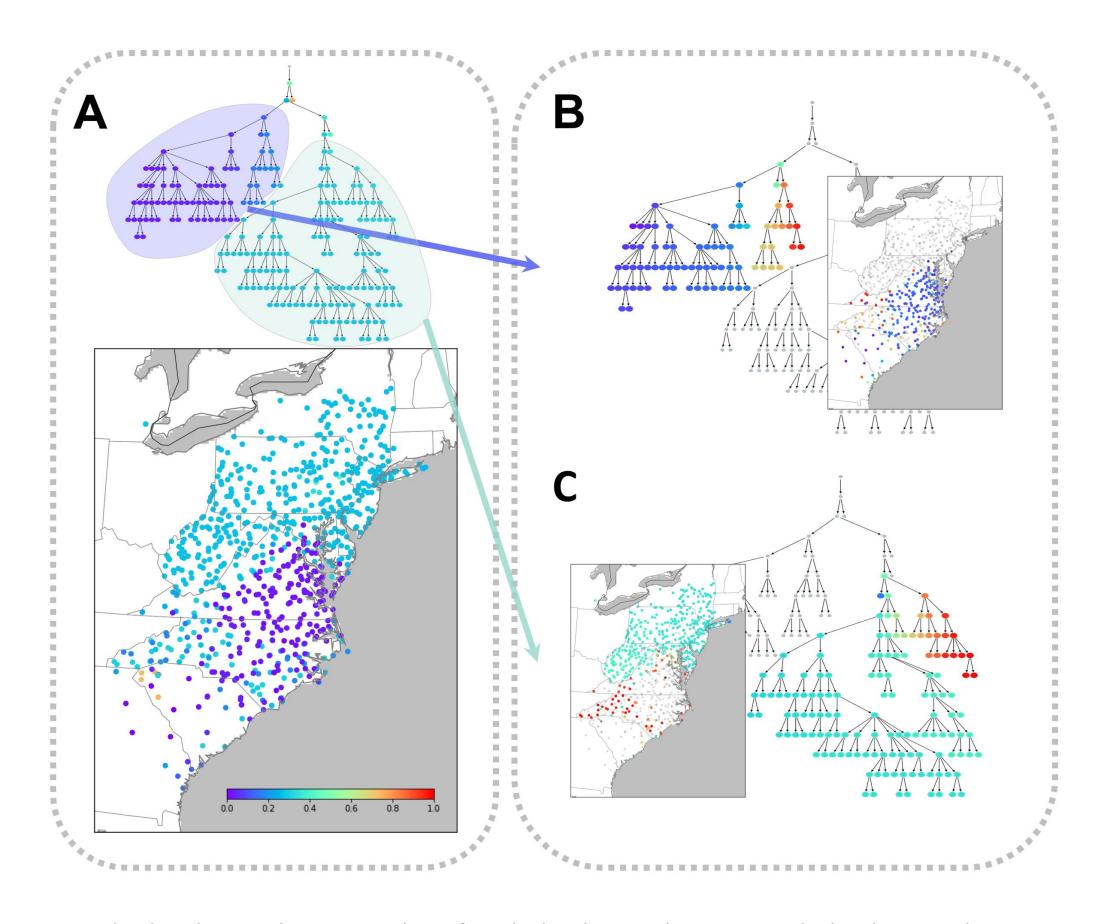


Supplementary Fig. 1: Hierarchical clustering of variation in English pronunciation in the middle and south Atlantic region of the United States, obtained using non-frequency-weighted similarities. (A) Hierarchical tree of the pronunciation similarity network. Informants are marked on the map by the color of the finest-scale cluster to which they belong. (B, C) Two major clusters detected at lower levels of the hierarchy in (A), each re-colored with the full color interval. The figure design follows Figure 1, panels A-C, except that instead of Eq. 1, we compute similarities using the non-frequency-weighted transcription-sharing similarity measure in Eq. S1 (below) before proceeding to Eq. 2. For two informants  $i_1$  and  $i_2$ , this similarity is calculated by summing indicator functions that tabulate identity of pronunciations  $A_{i_1j}$  and  $A_{i_2j}$  of word j across the m words:

$$s_{i_1 i_2} = \frac{\sum_{j=1}^{m} I_{(A_{i_1 j} = A_{i_2 j})} I_{(A_{i_1 j} \neq 0 \land A_{i_2 j} \neq 0)}}{\sum_{j=1}^{m} I_{(A_{i_1 j} \neq 0 \land A_{i_2 j} \neq 0)}}.$$
 (S1)

In the figure, we can see that the hierarchical structure revealed by the non-frequency-weighted similarity is similar to that revealed by the frequency-weighted similarity in Fig. 1; in both cases, two major clusters are split by a north-south divide, and sub-cluster splits also follow geographical lines.



Supplementary Fig. 2: Hierarchical clustering of variation in English pronunciation in the middle and south Atlantic region of the US, obtained using Levenshtein-distance-based similarities. (A) Hierarchical tree of the pronunciation similarity network. Informants are marked on the map by the color of the finest-scale cluster to which they belong. (B, C) Two major clusters detected at lower levels of the hierarchy in (A), each re-colored with the full color interval. The figure design follows Figure 1, panels A-C, except that instead of Eq. 1, we compute similarities using the Levenshtein-distance-based similarity measure in Eq. S2 below before proceeding to Eq. 2. Denote the transcription of word j for informant i as a string  $T_{ij}$ . Let  $lvd(\cdot, \cdot)$  be the Levenshtein distance between two transcription strings, computed as the minimum number of single-character edits required to change one string into the other, including insertions, deletions and substitutions (JB Kruskal, An overview of sequence comparison: time warps, string edits, and macromolecules. SIAM Review 25: 201-237, 1983). For two informants  $i_1$  and  $i_2$ , their Levenshtein-distance-based similarity is calculated as

$$s_{i_1 i_2} = \frac{\sum_{j=1}^{m} \left[ 1 - \frac{|\text{vd}(T_{i_1 j}, T_{i_2 j})|}{|T_{i_1 j}| + |T_{i_2 j}|} \right] I_{(A_{i_1 j} \neq 0 \land A_{i_2 j} \neq 0)}}{\sum_{j=1}^{m} I_{(A_{i_1 j} \neq 0 \land A_{i_2 j} \neq 0)}},$$
(S2)

where  $|\cdot|$  denotes the length of the transcription string. As in Fig. 1 and Supplementary Fig. 1, the observed hierarchical structure shows a clear multi-level clustering by geographical variation. However, comparing to Fig. 1 and Supplementary Fig. 1, some differences are noticeable. For example, with the Levenshtein distance, West Virginia is separated as a single cluster at a later stage in the hierarchy than for the other two distances. Another difference is that some individuals in the southern region (the red-and-orange branch in Supplementary Fig. 2C) are clustered with the northern region first, and are only later split as a single sub-cluster; in Fig. 1 and Supplementary Fig. 1, they are clustered with the southern part at the first split.