

## **Supporting Information File (SIF)**

### **A Survey Experiment on “Bad Bosses”**

Isabella Alcañiz (**Corresponding Author**), [ialcaniz@umd.edu](mailto:ialcaniz@umd.edu), Associate Professor of Government and Politics, University of Maryland, 3140 Tydings Hall, College Park, MD 20742, United States

Ernesto Calvo, [ecalvo@umd.edu](mailto:ecalvo@umd.edu), Professor of Government and Politics, University of Maryland, 3140 Tydings Hall, College Park, MD 20742, United States

Marcelo Escolar, [marcelo.escolar@unsam.edu.ar](mailto:marcelo.escolar@unsam.edu.ar), Professor of Politics and Government, Universidad Nacional de San Martín, Campus Miguelete, 25 de Mayo y Francia. C.P.: 1650. San Martín, Provincia de Buenos Aires, Argentina

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## APPENDIX A

### Statistical Model Used to Measure Political Networks and Network Proximity

In this Appendix, we describe the research strategy to measure the size and structure of the personal networks of the different respondents. The model estimates three key sets of parameters measuring (i) the relative size of the voter's personal network, (ii) the relative prevalence of different group categories in the population, and (iii) the relative proximity of voters to each of these groups. We use the first set of parameters, size of the personal network, as the key independent variable of the article: "**A Survey Experiment on *Bad Bosses***". To measure the size and structure of networks, we take advantage of the survey strategy first proposed by Christopher McCarthy et. al. (McCarty et al. 2000; McCarty, Killworth, and Rennell 2007). The survey uses questions of the type "*how many X do you know,*" to obtain counts of individuals belonging to different group categories. To analyze this data, we use an over-dispersed statistical model proposed by Zheng, Salganik and Gelman (2006) measuring the personal network of respondents and the prevalence of groups as a share of the respondent's personal network.<sup>1</sup>

#### a) The Questions used to measure the size of the personal network:

The strategy to measure the size of the personal network proposed by McCarty et. al. (2007) considers every respondent as an observer that provides counts of individuals they know across a variety of group categories. They include counts of names, professions, and life events, whose probability occurrences in the population are already known. In the case of Argentina, Calvo and Murillo (2013) propose a list of categories that meet the requirements suggested by McCarthy et. al., including being in the target prevalence area (0.5% of the population for name categories) to minimize deviations that result from memory over-recall (prevalence < 0.5%) or under-recall (prevalence > .5).

The question asks, "How many people do you know, who also know you and with whom you have interacted in the past year either in person, by phone, or other media [that belong to the group category]". For example, "whose name is Silvia", "that work as teachers", "that were victims of a sexual aggression", etc. The full battery of questions asked in the survey is in Figure A.1 in the next page. It is important to emphasize that "knowing someone" requires that they also know the respondent and that they had some type of interaction within the last year. The "yearly" network is defined as the personal network of the respondent and is different from the "intimate" network, which is defined as the network of individuals with whom a respondent interacts on weakly basis.

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<sup>1</sup> McCarthy et.al. (2000), Zheng et al (2006).



of each and all respondents: the relative size of each respondent’s personal network,  $\alpha_i$ , the relative prevalence of each group  $k$  in the population,  $\beta_k$ , and a parameter that explores individual-level deviations from the personal network and group prevalence. The over-dispersed Poisson model uses the count of individuals known to each respondent as the dependent variable and estimates three sets of latent parameters:

$$y_{ik} \sim \text{Poisson}(e^{\alpha_i + \beta_k + \delta_{ik}}) \quad \text{Eq. (A.1)}$$

where  $\alpha_i$  describes the size of the personal network of respondent  $i$ ,  $\beta_k$  describes the expected prevalence of group  $k$  in the population, and the overdispersion parameter  $\delta_{ik}$  estimates a multiplicative factor with individual and group-level deviations from the personal network  $\alpha_i$  and group prevalence  $\beta_k$  (Gelman and Hill 2007).

The vector of personal network parameters,  $N \equiv \{\alpha'_1, \dots, \alpha'_i\}$ , provides *critical information about individual-level interaction with other individuals*. Each parameter  $\alpha'_{ik}$  provides information about the degree to which a respondent knows more individuals than expected from a  $k$ -group category, given her personal network size and group prevalence.

The vector of over-dispersed parameters,  $H \equiv \{\delta'_{11}, \dots, \delta'_{ik}\}$ , provides *critical information about individual-level deviations from the overall group prevalence*. Each parameter  $\delta'_{ik}$  provides information about the degree to which a respondent knows more individuals than expected from a  $k$ -group category, given her personal network size and group prevalence. Therefore, we can study the social structure of networks—how different political categories relate to each other— by comparing the over-dispersion parameters for different groups.

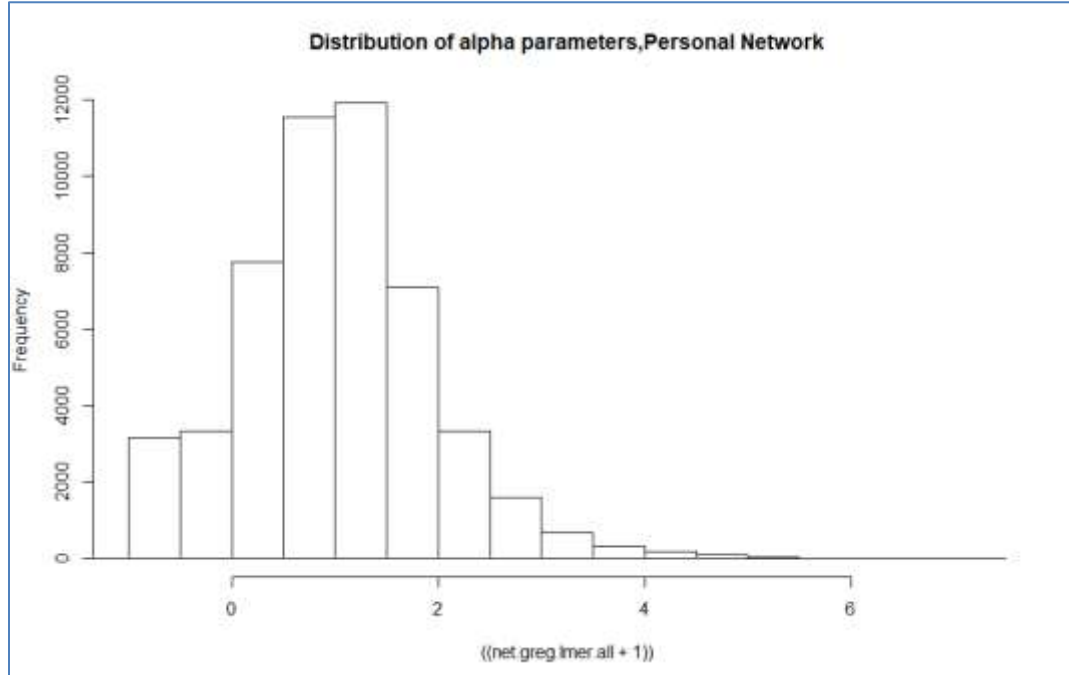
Finally, to assess the social structure of networks—how different social and political categories relate to each other—we analyze the matrix of over-dispersed parameters in equation (C.3),  $H \equiv \{\delta'_{11}, \dots, \delta'_{ik}\}$ .<sup>2</sup> Each parameter,  $\delta'_{ik}$ , provides information about the degree to which a respondent knows more individuals from a particular group  $k$  than what would be expected given her personal network size and the overall group prevalence in the population.

Estimation of the model was done in R 3.5.1, using LMER with random slopes by user and group. As proposed by Gelman and Hill, the matrix of overdispersion parameters was retrieved from the residuals of the model. The vector of personal network sizes described the relative gregariousness of each respondent in the survey. The distribution of the parameters is roughly normal, modestly skewed left. The histogram plot in Figure A.2 describes the distribution of the personal network parameters.

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<sup>2</sup> Gelman and Hill measure the absolute difference between the predicted and observed counts, because their specification does not estimate an overdispersion parameter by individual and group. Our estimation strategy provides the full matrix of overdispersed parameters. As a result, we can estimate the inter-group correlation directly. Both strategies yield substantively similar inter-group correlations, clusters, and dendograms.

Figure B.2: Distribution of vector of Personal Network (Gregariousness),  $N \equiv \{\alpha'_1, \dots, \alpha'_i\}$



Note: Vector of personal network parameters,  $N \equiv \{\alpha'_1, \dots, \alpha'_i\}$ , estimated using the survey questions in Table A.1 and the Eq. (A.1).

## APPENDIX B:

### Measures of Network Structure in the Measure of Personal Network

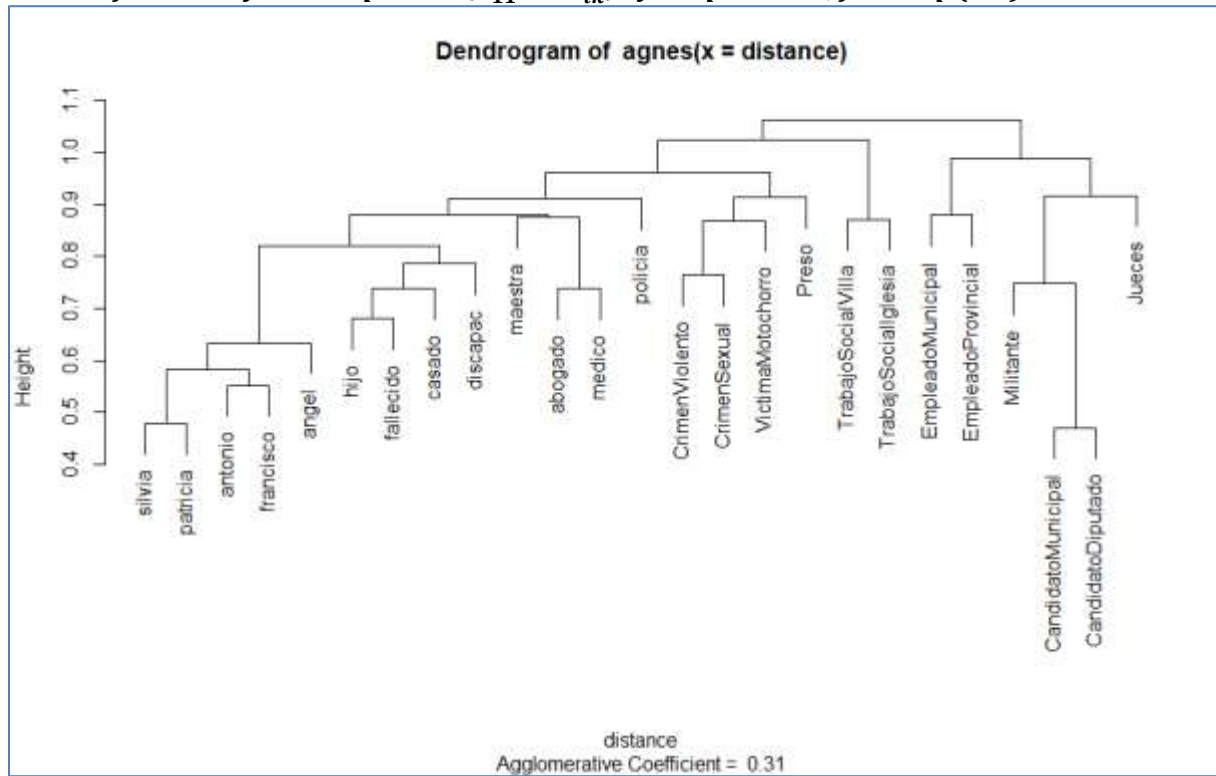
As a check on the personal network results, we report on some of the network structure estimated from the model. As described in Appendix A, there are three key groups of parameters that are returned by the Zheng, Salganik and Gelman (2006) poisson model: the first set of parameters describes the size of each respondent's personal network,  $N \equiv \{\alpha'_1, \dots, \alpha'_i\}$ . The second set of parameters describes the relative prevalence of different groups,  $K \equiv \{\beta'_1, \dots, \beta'_k\}$ . Finally, the large set of parameters describes deviations from the mean network personal network size ( $\hat{\alpha}$ ) and the mean group prevalence ( $\hat{\beta}$ ), which is described by the set,  $H \equiv \{\delta'_{11}, \dots, \delta'_{ik}\}$ .

The parameters  $\delta'_{ik}$  describe the relative proximity of each respondent  $i$  to the group  $k$ . That is, they indicate whether a respondent knows more of the group  $k$  than what we would expect, given the size of their personal network and the prevalence of the group in the sample. For example, we are able to compare to what extent individuals that know more victims of crime are also more likely to know people in prison. We can also assess the extent to which individuals that work in the public sector also know more people that are involved in politics.

Figure B.1 provides a dendrogram that describes the level of association between the different group categories from the questions provided in Table A.1. We can see, for example, that individuals who know more public employees also know more political candidates and more judges. We can also see

that individuals that know more victims of crime also know more individuals in prison. In other words, we can see how we can use the information reported by respondents to assess not only the size of their personal network but also the structure of their network.

**Figure B.1: Dendrogram of association between group categories in the “Bad Boss” data, Matrix of Proximity to Groups  $H \equiv \{\delta'_{11}, \dots, \delta'_{ik}\}$  by Respondents, from Eq. (A.1)**



Note: Agnes agglomerative coefficient on the matrix of respondent’s proximity to each group ( $\delta'_{ik}$ ).