
```

In[1]:= (* define constant parameters *)
c =  $\frac{1}{\sqrt{2}}$ ; k = 1; r = 0;
(* define radial and angular Mathieu functions in elliptic coordinates *)
q = c2 *  $\frac{k^2}{4}$ ;
fμC[μC_] = MathieuC[MathieuCharacteristicA[r, q], q, μC];
fμν[μ_, ν_] = fμC[-i * μ] * fμC[ν];

(* define radial and angular Mathieu functions in Cartesian coordinates *)
fxy[x_, y_] =
  TransformedField["Elliptic" → "Cartesian", fμν[μ, ν], {μ, ν} → {x, y}] /. {i → c};

(* plot distribution fxy[x,y] *)
nPoints = 202; rPlot = 5; rPlotDif = 2 * rPlot / (nPoints - 1);
fontSize = 16; contours = 30;
Show[
  ListContourPlot[
    Table[fxy[x, y], {y, -rPlot, rPlot, rPlotDif}, {x, -rPlot, rPlot, rPlotDif}]
    , DataRange → {{-rPlot, rPlot}, {-rPlot, rPlot}}
    , PlotRange → All
    , Contours → contours
    , PlotLegends → Placed[Automatic, Right]
    , FrameTicks → True
    , Frame → True
    , FrameTicksStyle → Directive[{FontFamily → "Times New Roman", FontSize → fontSize}]
    , FrameLabel → {"x", "y"}
    , FrameStyle → Directive[FontFamily → "Times New Roman", FontSize → fontSize]
    , PlotLabel → "f(x,y)"
    , LabelStyle → Directive[FontFamily → "Times New Roman", FontSize → fontSize]
    , ContourPlot[{fxy[x, y] == 0}, {x, -rPlot, rPlot},
      {y, -rPlot, rPlot}, ContourStyle → {Red, Thick, Dashed}]
  ]
  , ImageSize → Large]

```

