

Data supplement

Tables DS1 Tables of absolute risks (% of cohort) for non-affective psychosis for all possible two-way combinations of risk factors: (a) cannabis use and low IQ; (b) cannabis use and poor social integration; (c) cannabis use and disturbed behaviour; (d) cannabis use and other diagnosis; (e) low IQ and poor social integration; (f) low IQ and disturbed behaviour; (g) low IQ and other diagnosis; (h) poor social integration and disturbed behaviour; (i) poor social integration and other diagnosis; (j) disturbed behaviour and other diagnosis

(a)

		Cannabis	
		–	+
Low IQ	–	0.77	1.58
	+	1.73	4.15

(f)

		Low IQ	
		–	+
Disturbed behaviour	–	0.74	1.53
	+	1.40	3.32

(b)

		Cannabis	
		–	+
Poor social integration	–	0.90	1.79
	+	1.53	3.71

(g)

		Low IQ	
		–	+
Other diagnosis	–	0.79	1.52
	+	2.00	4.95

(c)

		Cannabis	
		–	+
Disturbed behaviour	–	0.94	1.24
	+	1.61	3.35

(h)

		Poor social integration	
		–	+
Disturbed behaviour	–	0.79	1.39
	+	1.87	2.97

(d)

		Cannabis	
		–	+
Other diagnosis	–	0.94	1.46
	+	2.92	4.60

(i)

		Poor social integration	
		–	+
Other diagnosis	–	0.88	1.30
	+	2.79	4.21

(e)

		Low IQ	
		–	+
Poor social integration	–	0.71	1.62
	+	1.25	2.87

(j)

		Disturbed behaviour	
		–	+
Other diagnosis	–	0.85	1.58
	+	2.80	4.04

Online supplement

Statistical models used to study interactions between two risk factors, A and B

Statistical model	Relationship	Definition	Interaction ^a	Comment
Additive	Additive	$\text{Risk (A and B)} = \text{Risk (A only)} + \text{Risk (B only)} - \text{Risk (Neither A nor B)}$	No (null hypothesis)	This is also less than multiplicative
	Greater than additive	$\text{Risk (A and B)} > \text{Risk (A only)} + \text{Risk (B only)} - \text{Risk (Neither A nor B)}$	Yes	This could be greater than multiplicative, multiplicative, or less than multiplicative
	Less than additive	$\text{Risk (A and B)} < \text{Risk (A only)} + \text{Risk (B only)} - \text{Risk (Neither A nor B)}$	Yes	This is also less than multiplicative
Multiplicative	Multiplicative	$\text{Risk ratio (A and B)} = \text{Risk ratio (A only)} \times \text{Risk ratio (B only)}$	No (null hypothesis)	This is also greater than additive
	Greater than multiplicative	$\text{Risk ratio (A and B)} > \text{Risk ratio (A only)} \times \text{Risk ratio (B only)}$	Yes	This is also greater than additive
	Less than multiplicative	$\text{Risk ratio (A and B)} < \text{Risk ratio (A only)} \times \text{Risk ratio (B only)}$	Yes	This could be greater than additive, additive or less than additive

a. Assuming adequate statistical power.